

#### Cost optimal predictive demand response control

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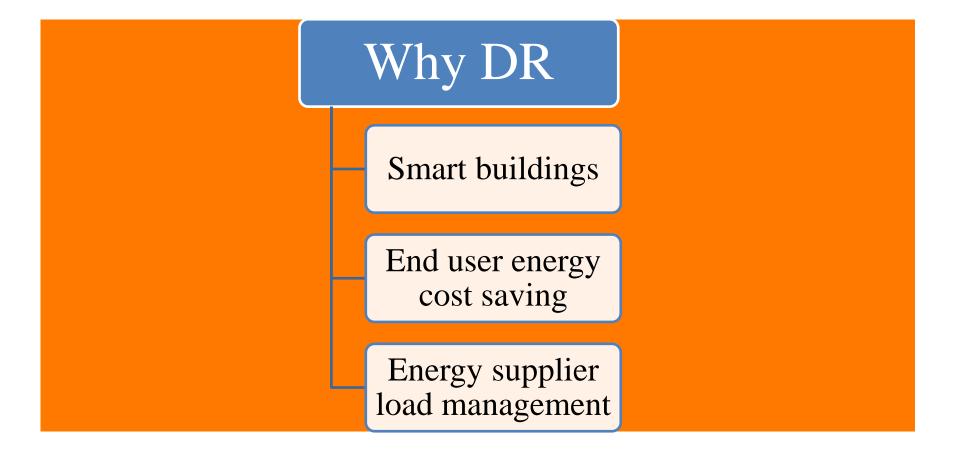
# • Master in mechanical engineering

• Master in control



## Demad Respose (DR)







# Predictive demand response control (Optimal)





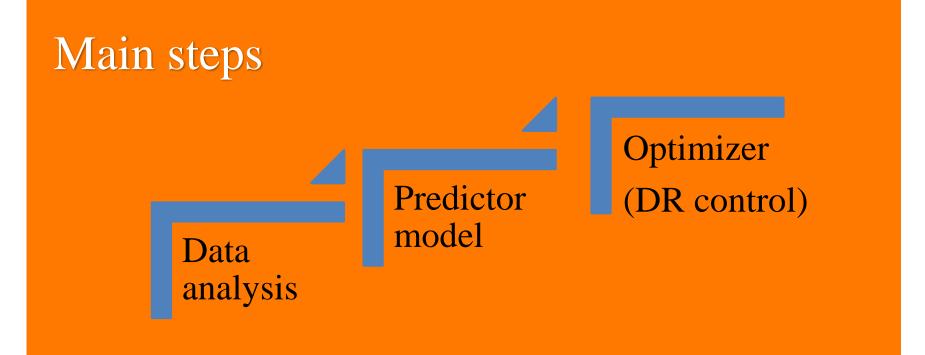
# **Optimal control (scheduling)**

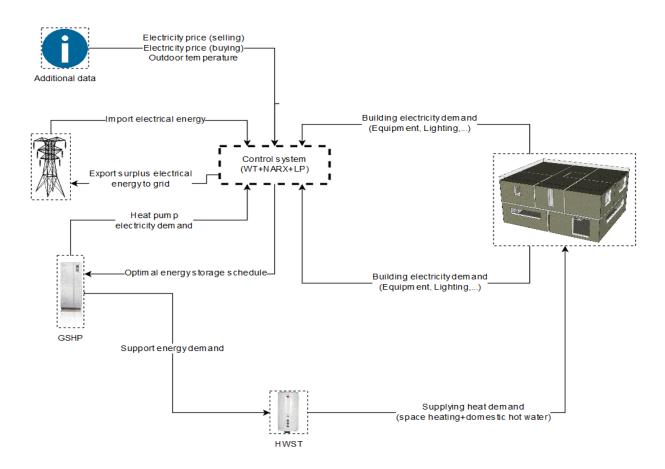
- Scheduling when we should buy energy
- Scheduling when we should store ad how much
- Target is minimizing the energy cost



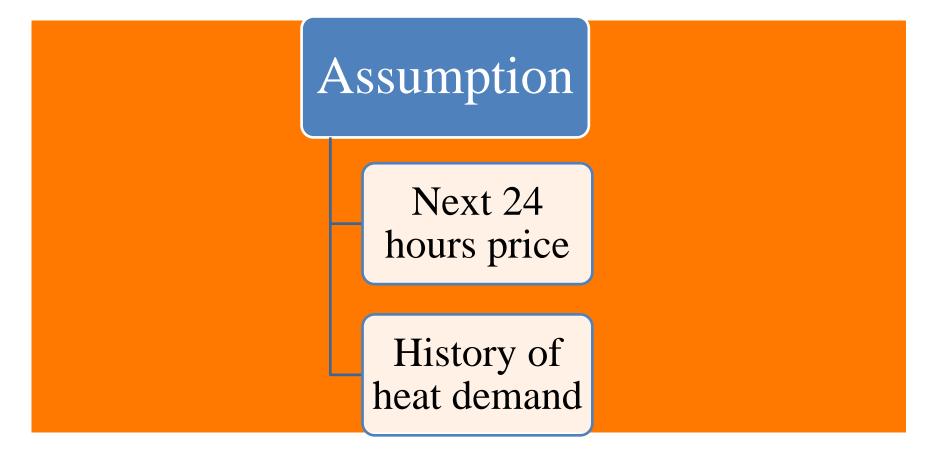










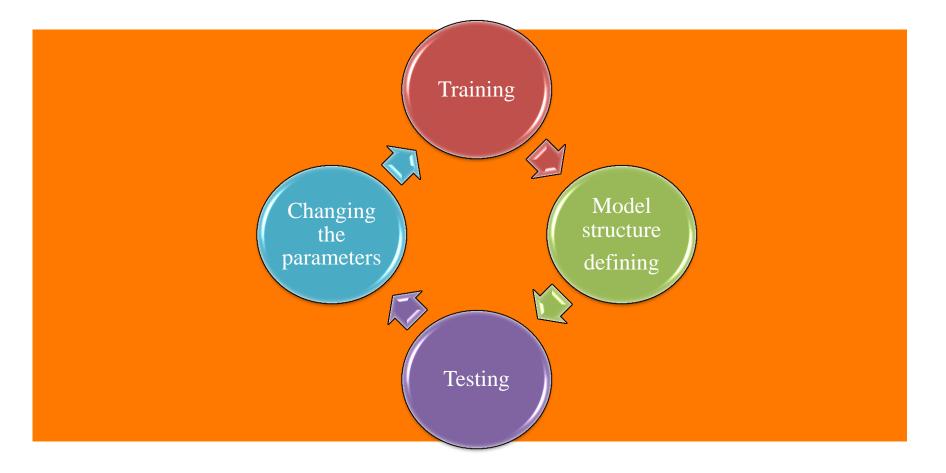




# Predictor model

## Artificial Neural Network (ANN)

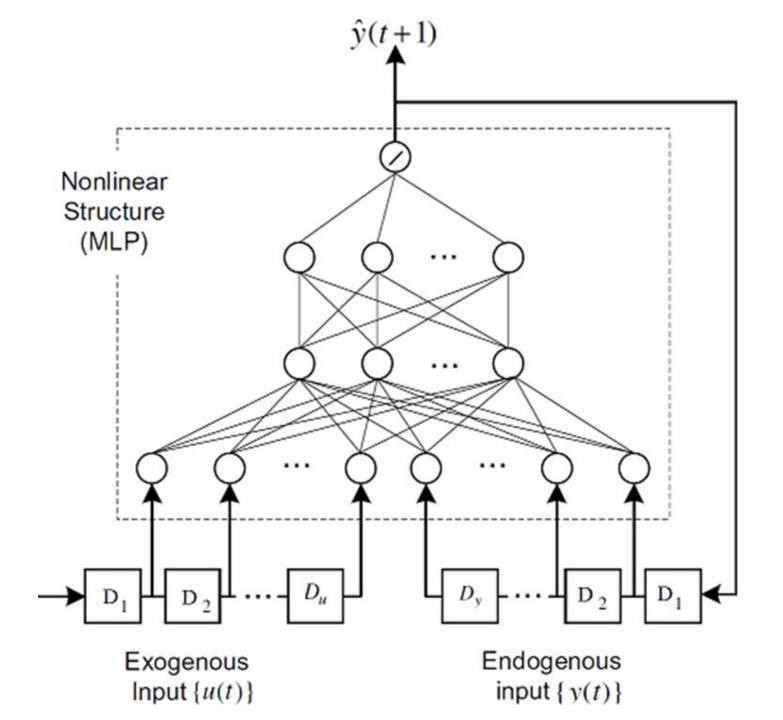






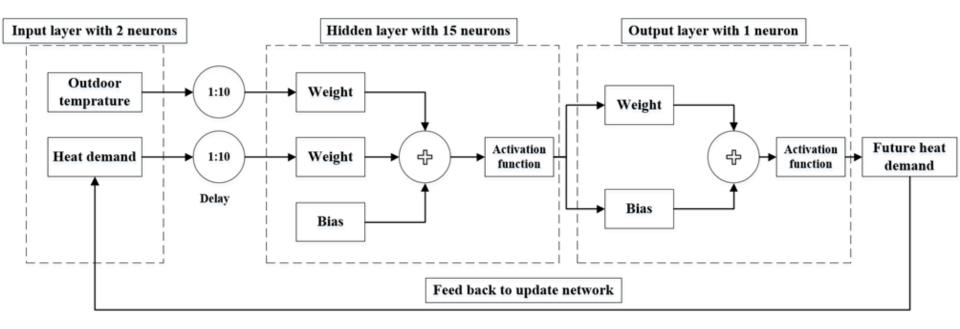
# Model parameters

- Layers
- Neuron numbers





### Matlab Toolbox

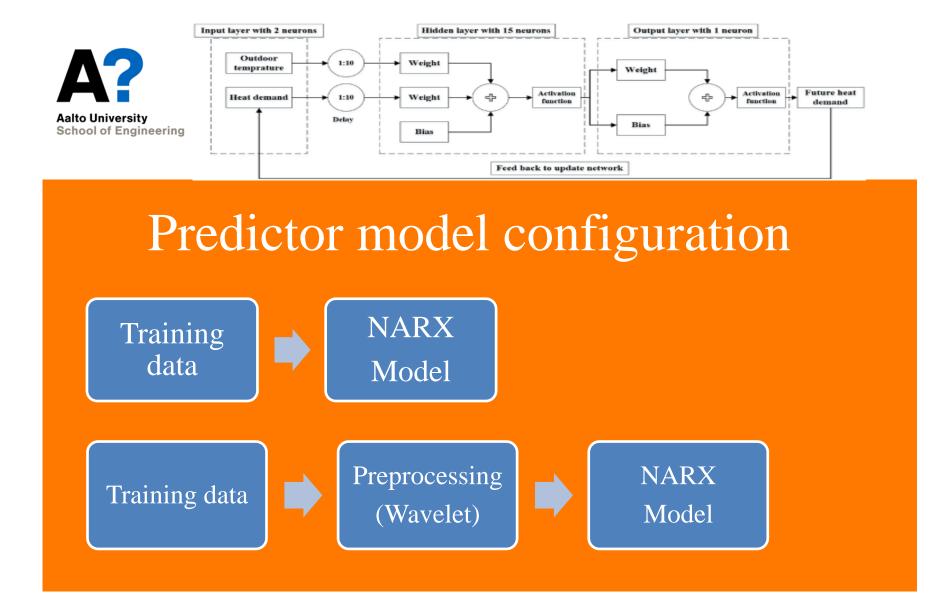




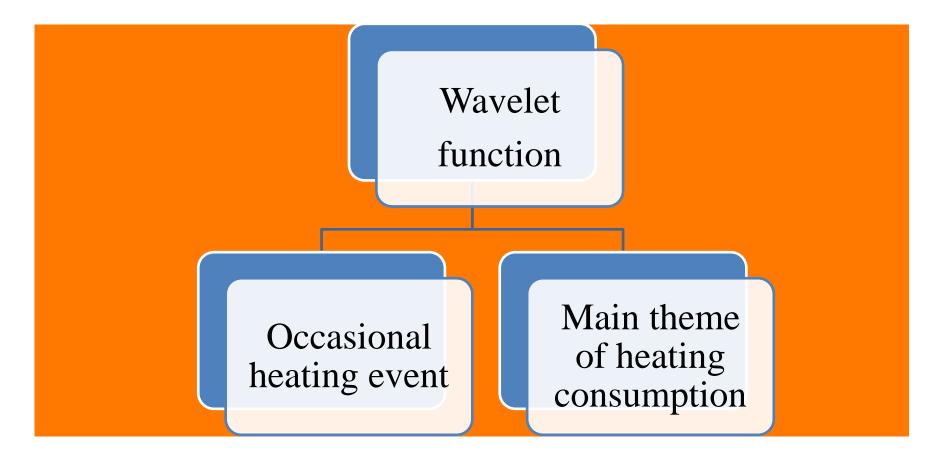
# Training data set Testing data set Target data set



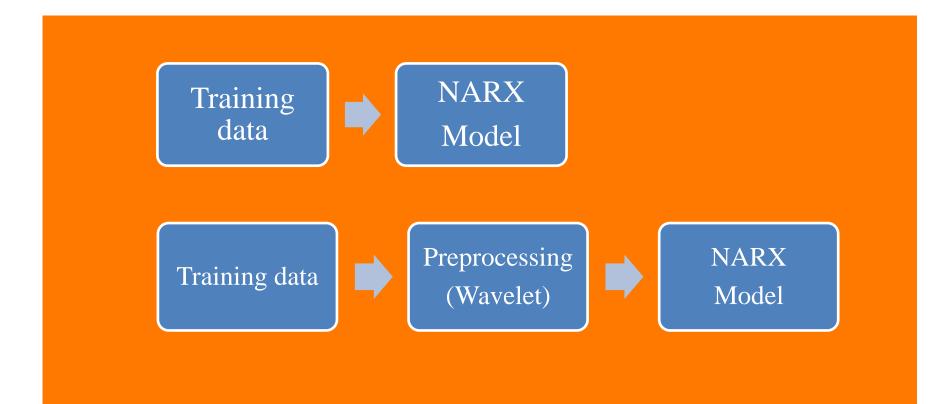
#### **IDA-ICE**



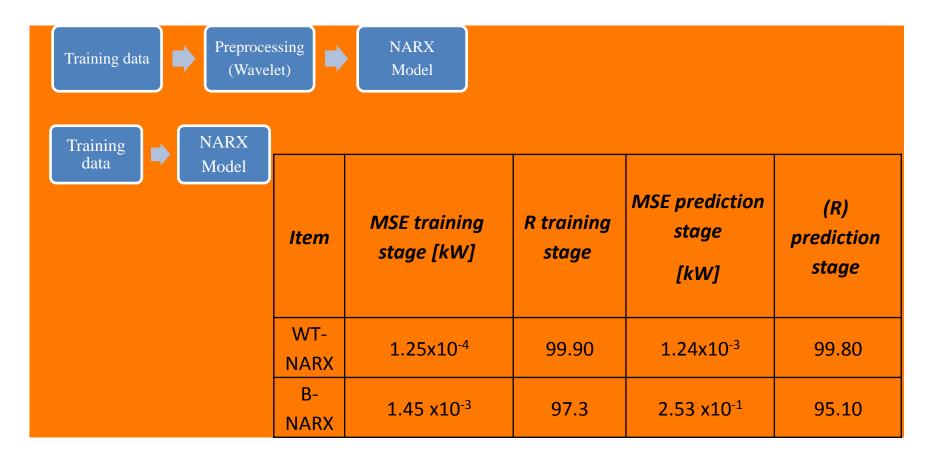




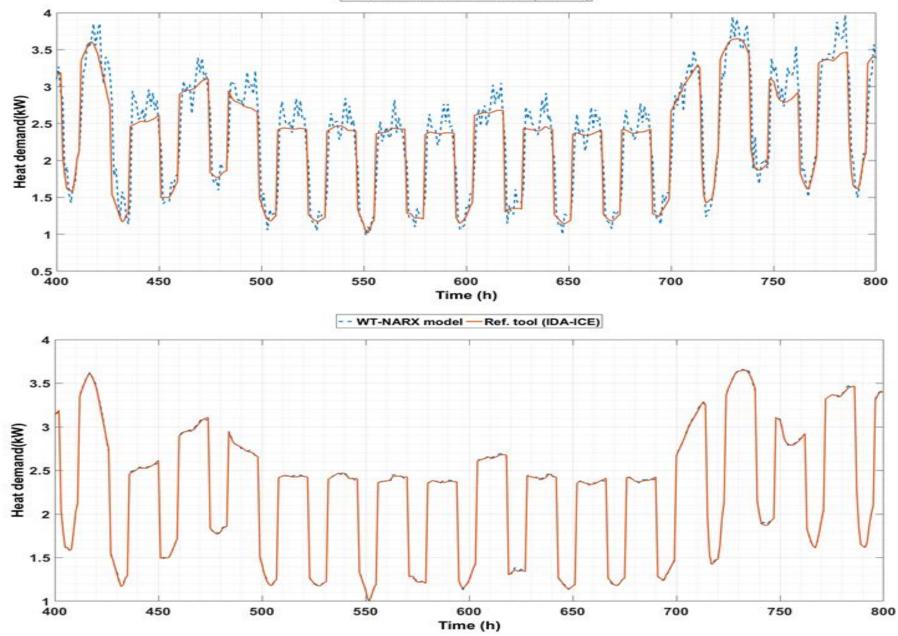














# Objective

### minimize $(\sum_{i=1}^{24} (price) (Demand))$



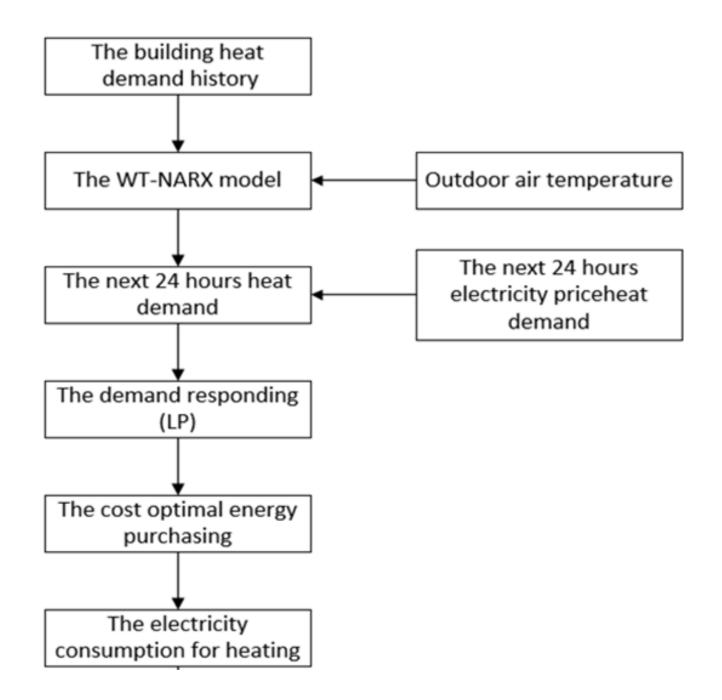
- Price is available by released data by market
- Heat demand has been forecasted by predective model.
- By above information, it is possible to run an optimization package.



- Linear programing is classical tool to find optimal solutions of linear problems.
- Daily heating energy cost can be defined as linear cost function.



#### Matlab Toolbox





Item (control structure)	WT-NARX + LP	B-NARX + LP	Without DR control (the reference case)
Annual electricity cost (€/m², a)	1.4	1.5	1.6
Annual purchased electricity (kWh/ m <sup>2</sup> , a)	13.5	13.5	13.5
Cost Reduction % (compare with the reference state)	12.5	6.3	



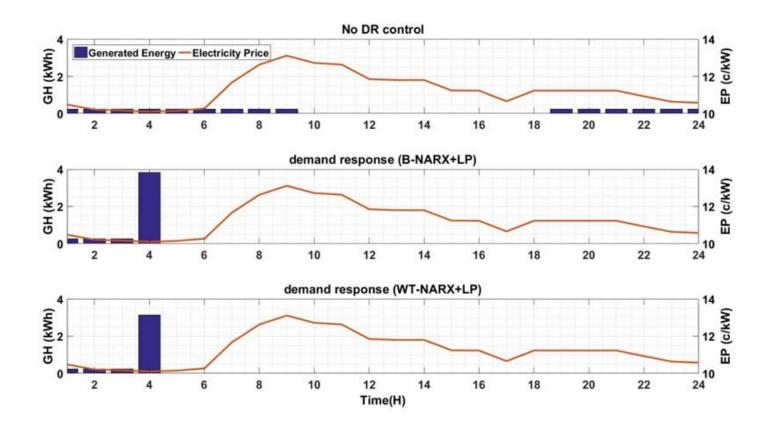
The heat demand of buildings can be predicted by means of an integrated NARX and a WT with high accuracy.

Using the predicted values of heat demand and future electricity price creates the opportunity to use the simple form of LP to optimize the operation of the heating system.

Mismatch between prediction and real heat demand reduces the performance of the proposed predictive DR control.

Thank you

# Applying the control



minimize  $C_{T,h} = \sum_{i=1}^{H} (p_{el,i})(E_{h,s,i}/COP)$  For  $\forall i \in [1, 2....24]$ subject to

$$\begin{split} \sum_{i=1}^{j} (E_{h,s,i} - E_{h,d,i}) &\geq 0 & For \ \forall \ j, i \in [1, 2 \dots .24], \\ \sum_{i=1}^{j} (E_{h,s,i} - E_{h,d,i}) &< E_{h,s,max} & For \ \forall \ j, i \in [1, 2 \dots .24], \\ \sum_{i=1}^{H} E_{h,s,i} &= E_{h,day} & For \ \forall \ i \in [1, 2 \dots .24], \\ 0 &\leq E_{h,s,i} &\leq Q_{hp,h,max}(\Delta t) \quad \Delta t = 1hr \ and \ For \ \forall \ i \in [1, 2 \dots .24], \end{split}$$